



1 SUMMARY

Given $n+1$ points x_i, y_i $i=0, 1, 2, \dots, n$ calculates the **coefficients of the polynomial that passes through all $n+1$ points**, i.e. the interpolation polynomial

$$P(x) = a_0 + a_1x + a_2x^2 + \dots + a_nx^n$$

such that

$$P(x_i) = y_i \quad i=0, 1, 2, \dots, n.$$

The coefficients of the Lebesgue polynomials $L_k(x)$, i.e. such that $L_k(x_i) = 0, i \neq k$ and $L_k(x_k) = 1$, are calculated using PC01 and PB01, the coefficients a_0, a_1, \dots, a_n are then obtained from

$$P(x) \equiv \sum_{k=0}^n y_k L_k(x)$$

ATTRIBUTES — **Version:** 1.0.0. **Types:** PC02A; PC02AD. **Calls:** PB01 and PC01. **Original date:** May 1964. **Origin:** L.Morgan, Harwell.

2 HOW TO USE THE PACKAGE

2.1 Argument list

The single precision version

```
CALL PC02A(X, Y, COE, W1, W2, N)
```

The double precision version

```
CALL PC02AD(X, Y, COE, W1, W2, N)
```

- X is a REAL (DOUBLE PRECISION in the D version) array which must be set by the user to contain the x coordinates of the points, i.e. set $X(I), I=1, 2, \dots, N+1$ to the values $x_i, i=0, 1, 2, \dots, n$.
- Y is a REAL (DOUBLE PRECISION in the D version) array which must be set by the user to contain the y coordinates of the points, i.e. set $Y(I), I=1, 2, \dots, N+1$ to the values $y_i, i=0, 1, 2, \dots, n$.
- COE is a REAL (DOUBLE PRECISION in the D version) array of length at least $n+1$ which will be set by the subroutine to contain the coefficients of the polynomial, i.e. $a_i, i=0, 1, 2, \dots, n$ will be returned in $COE(I), I=1, 2, \dots, N+1$.
- W1 is a REAL (DOUBLE PRECISION in the D version) array of length at least $n+2$ which is used by the subroutine as workspace.
- W2 is a REAL (DOUBLE PRECISION in the D version) array of length at least $n+1$ which is used by the subroutine as workspace.
- N is an INTEGER which must be set by the user to n the degree of the polynomial.

3 GENERAL INFORMATION

Workspace: Provided by the user in the argument arrays W1 and W2.

Use of common: None.

Other routines called directly: PB01 and PC01.

Input/output: None.

Restrictions: None.

4 METHOD

The coefficients of the Lebesgue polynomials $L_k(x)$, i.e. such that $L_k(x_i)=0$, $i \neq k$ and $L_k(x_k)=1$, are calculated using PC01 and PB01, the coefficients a_0, a_1, \dots, a_n are then obtained from

$$P(x) \equiv \sum_{k=0}^n y_k L_k(x)$$